

## FOC电流环控制:

ADC1\_2\_IRQHandler (stm32f10x\_MC\_it.c) ->

TSK\_HighFrequencyTask (MCTasks.c) ->

FOC\_CurrController ->

SPD\_GetElAngle 得到电角度 (hElAngedpp)

PWMC\_GetPhaseCurrents 得到相电流Ia和Ib (Iab)

MCM\_Clarke, clark变换得到Ialpha和Ibeta (Ialphabeta)

MCM\_Park, park变换得到Iq和Id (Iqd)

PI\_Controller执行两次, 分别处理Iq和Id, 得到Vq和Vd (Vqd)

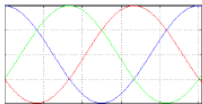
FF\_VqdConditioning 前馈条件

MCM\_Rev\_Park 反Park变换, 根据Vqd和电角度hElAngedpp计算出Valpha和Vbeta (Valphabeta)

PWMC\_SetPhaseVoltage (PWMnCurrFdbkClass.c) 根据Valphabeta设置相电压

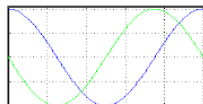
## Clark变换:

- clarke 变换: ia,ib,ic (120°) 转换为 i<sub>α</sub>,i<sub>β</sub>(90°); (假设ia+ib+ic=0), 交流->交流:



$$i_{\alpha} = i_{as}$$

$$i_{\beta} = -\frac{i_{as} + 2i_{bs}}{\sqrt{3}}$$



## MC Math.c

```
/**
 * @brief This function transforms stator currents Ia and qIb (which are
 *        directed along axes each displaced by 120 degrees) into currents
 *        Ialpha and Ibeta in a stationary qd reference frame.
 *        Ialpha = Ia
 *        Ibeta = -(2*Ib+Ia)/sqrt(3)
 * @param Curr_Input: stator current Ia and Ib in Curr_Components format
 * @retval Stator current Ialpha and Ibeta in Curr_Components format
 */
Curr_Components MCM_Clarke(Curr_Components Curr_Input)
{
    Curr_Components Curr_Output;

    int32_t qIa_divSQRT3_tmp, qIb_divSQRT3_tmp;
    int32_t wIbeta_tmp;
    int16_t hIbeta_tmp;

    /* qIalpha = qIas*/
    Curr_Output.qI_Component1= Curr_Input.qI_Component1;

    qIa_divSQRT3_tmp = divSQRT_3 * (int32_t)Curr_Input.qI_Component1;
    qIb_divSQRT3_tmp = divSQRT_3 * (int32_t)Curr_Input.qI_Component2;
    /*qIbeta = -(2*qIbs+qIas)/sqrt(3)*/
    wIbeta_tmp = (-(qIa_divSQRT3_tmp)-(qIb_divSQRT3_tmp)-(qIb_divSQRT3_tmp))>> 15;
```

Curr\_Input.qI\_Component1 为 Ias, Curr\_Input.qI\_Component2 为 Ibs

Ialpha = Curr\_Output.qI\_Component1 = Ias

Ibeta = Curr\_Output.qI\_Component2 = -(Ias+2Ibs)\*divSQRT\_3>>15 = -(Ias+2Ibs)/sqrt(3)

#define divSQRT\_3 (int32\_t)0x49E6 /\* 1/sqrt(3) in q1.15 format=0.5773315\*/

右移15位叫做q1.15格式, 这是为了方便运算, 避免用浮点运算, 以降低运算时间。

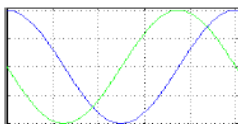
1/sqrt(3) = 0.57735026918962576450914878050196

(1<<15)/sqrt(3) = 32768\*0.57735026918962576450914878050196 = 18918.61362

去掉小数点就是18918 = 0x49E6

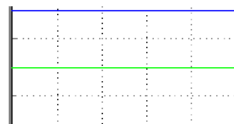
## Park变换:

- Park变换: i<sub>α</sub>,i<sub>β</sub> 转换为 i<sub>d</sub>,i<sub>q</sub> (90°), 交流->直流:



$$i_{qs} = i_{\alpha} \cos \theta_r - i_{\beta} \sin \theta_r$$

$$i_{ds} = i_{\alpha} \sin \theta_r + i_{\beta} \cos \theta_r$$



```

/**
 * @brief This function transforms stator currents Ialpha and Ibeta, which
 * belong to a stationary qd reference frame, to a rotor flux
 * synchronous reference frame (properly oriented), so as Iq and Id.
 * Id= Ialpha *sin(theta)+qIbeta *cos(Theta)
 * Iq=qIalpha *cos(Theta)-qIbeta *sin(Theta)
 * @param Curr_Input: stator current Ialpha and Ibeta in Curr_Components format
 * @param Theta: rotating frame angular position in q1.15 format
 * @retval Stator current Iq and Id in Curr_Components format
 */
Curr_Components MCM_Park (Curr_Components Curr_Input, int16_t Theta)
{
    Curr_Components Curr_Output;
    int32_t qId_tmp_1, qId_tmp_2, qIq_tmp_1, qIq_tmp_2;
    Trig_Components Local_Vector_Components;
    int32_t wIqd_tmp;
    int16_t hIqd_tmp;

    Local_Vector_Components = MCM_Trig_Functions(Theta);

    /*No overflow guaranteed*/
    qIq_tmp_1 = Curr_Input.qI_Component1 * (int32_t)Local_Vector_Components.hCos;

    /*No overflow guaranteed*/
    qIq_tmp_2 = Curr_Input.qI_Component2 * (int32_t)Local_Vector_Components.hSin;

    /*Iq component in Q1.15 Format */
    wIqd_tmp = (qIq_tmp_1-qIq_tmp_2)>>15;
    hIqd_tmp = (int16_t)(wIqd_tmp);

    Curr_Output.qI_Component1 = hIqd_tmp;

    /*No overflow guaranteed*/
    qId_tmp_1 = Curr_Input.qI_Component1 * (int32_t)Local_Vector_Components.hSin;

    /*No overflow guaranteed*/
    qId_tmp_2 = Curr_Input.qI_Component2 * (int32_t)Local_Vector_Components.hCos;

    /*Id component in Q1.15 Format */
    wIqd_tmp = (qId_tmp_1+qId_tmp_2) >>15;
    hIqd_tmp = (int16_t)(wIqd_tmp);

    Curr_Output.qI_Component2 = hIqd_tmp;

    return (Curr_Output);
} ? end __attribute__ ?

```

Curr\_Input.qI\_Component1 为 Ialpha, Curr\_Input.qI\_Component2 为 Ibeta, Theta为电角度

Iq= Curr\_Output.qI\_Component1 = Ialpha \*cos(Theta)-Ibeta \*sin(Theta)

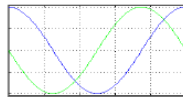
Id= Curr\_Output.qI\_Component2 = Ialpha \*sin(theta)+Ibeta \*cos(Theta)

## 反Park变换:

- 反Park变换:  $V_q, V_d$  转换为  $V_\alpha, V_\beta$ : 由于  $V_q, V_d$  为直流信号, 因此PID算法可直接运用于此类信号的控制



$$\begin{aligned}
 v_\alpha &= v_q \cos \theta_r + v_d \sin \theta_r \\
 v_\beta &= -v_q \sin \theta_r + v_d \cos \theta_r
 \end{aligned}$$



```

/**
 * @brief This function transforms stator voltage qVq and qVd, that belong to
 * a rotor flux synchronous rotating frame, to a stationary reference
 * frame, so as to obtain qValpha and qVbeta:
 * Valpha= Vq*Cos(theta)+ Vd*Sin(theta)
 * Vbeta=-Vq*Sin(theta)+ Vd*Cos(theta)
 * @param Volt_Input: stator voltage Vq and Vd in Volt_Components format
 * @param Theta: rotating frame angular position in q1.15 format
 * @retval Stator voltage Valpha and Vbeta in Volt_Components format
 */
Volt_Components MCM_Rev_Park (Volt_Components Volt_Input, int16_t Theta)
{
    int32_t qValpha_tmp1, qValpha_tmp2, qVbeta_tmp1, qVbeta_tmp2;
    Trig_Components Local_Vector_Components;
    Volt_Components Volt_Output;

    Local_Vector_Components = MCM_Trig_Functions(Theta);

    /*No overflow guaranteed*/
    qValpha_tmp1 = Volt_Input.qV_Component1 * (int32_t)Local_Vector_Components.hCos;
    qValpha_tmp2 = Volt_Input.qV_Component2 * (int32_t)Local_Vector_Components.hSin;

    Volt_Output.qV_Component1 = (int16_t)((qValpha_tmp1)+(qValpha_tmp2)>>15);

    qVbeta_tmp1 = Volt_Input.qV_Component1 * (int32_t)Local_Vector_Components.hSin;
    qVbeta_tmp2 = Volt_Input.qV_Component2 * (int32_t)Local_Vector_Components.hCos;

    Volt_Output.qV_Component2 = (int16_t)((qVbeta_tmp2-qVbeta_tmp1) >>15);

    return (Volt_Output);
} ? end __attribute__ ?

```

Volt\_Input.qV\_Component1 为 Vq, Volt\_Input.qV\_Componen2 为 Vd, Theta为电角度

Valpha = Volt\_Output.qV\_Component1 =Vq\*Cos(Theta)+ Vd\*Sin(Theta)

Vbeta = Volt\_Output.qV\_Component2 =-Vq\*Sin(Theta)+ Vd\*Cos(Theta)

# PWMC\_SetPhaseVoltage:

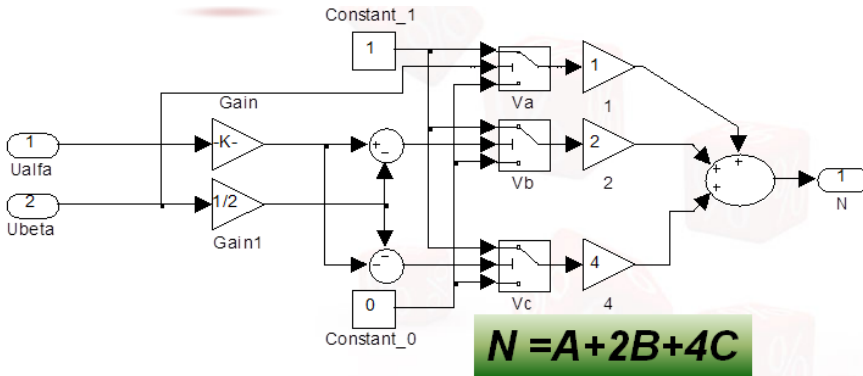
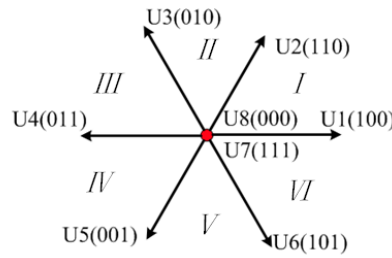


Clark反变换, 与AN908不一致

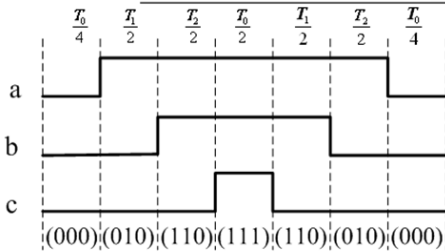
$$\begin{cases} V_{y1} = U_{\beta} & V_{y1} > 0, \text{则} A=1, \text{反之} A=0; \\ V_{r2} = \frac{\sqrt{3}}{2} U_{\alpha} - \frac{1}{2} U_{\beta} & V_{y2} > 0, \text{则} B=1, \text{反之} B=0; \\ V_{r3} = -\frac{\sqrt{3}}{2} U_{\alpha} - \frac{1}{2} U_{\beta} & V_{y3} > 0, \text{则} C=1, \text{反之} C=0. \end{cases}$$

**N = A + 2B + 4C**

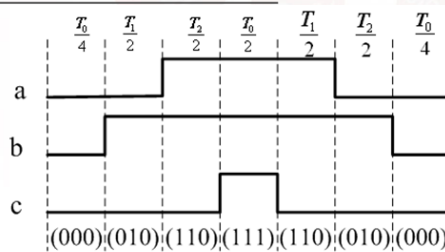
当N=3时,  $U_{ref}$ 位于第I扇区;  
 当N=1时,  $U_{ref}$ 位于第II扇区;  
 当N=5时,  $U_{ref}$ 位于第III扇区;  
 当N=4时,  $U_{ref}$ 位于第IV扇区;  
 当N=6时,  $U_{ref}$ 位于第V扇区;  
 当N=2时,  $U_{ref}$ 位于第VI扇区。



作用时间	T0/4	T1/2	T2/2	T0/2	T2/2	T1/2	T0/4
扇区	零矢量	第一矢量	第二矢量	零矢量	第二矢量	第一矢量	零矢量
I	000	100	110	111	110	100	000
II	000	010	110	111	110	010	000
III	000	010	011	111	011	010	000
IV	000	001	011	111	011	001	000
V	000	001	101	111	101	001	000
VI	000	100	101	111	101	100	000



## Section I



## Section II

根据Valpha和Vbeta判断在哪个扇区

先将Valpha\_beta转换成X,Y,Z电压

```
wUAlpha = Valpha_beta.qV_Component1 * (int32_t)pVars->hT_Sqrt3;
wUBeta = -(Valpha_beta.qV_Component2 *
(int32_t)(CLASS_PARAMS->hPWMperiod))*2;
```

```
wX = wUBeta;
wY = (wUBeta + wUAlpha)/2;
wZ = (wUBeta - wUAlpha)/2;
```

备注

```
#define SQRT3FACTOR (uint16_t) 0xDDB4 /* = (16384 * 根号3 * 2) = (16384 * 1.732051 * 2)*/
```

```
pVars->hT_Sqrt3 = (pParams->hPWMperiod*SQRT3FACTOR)/16384u = (PWM周期* 16384 * 根号3 * 2)/16384 = PWM周期 * 根号3 * 2;
```

```

(2^15
)*4 =
32768*
4 = 13
1072
#define
T(PWM
_PERIO
D*4)
, 这里
有一个
4倍的
放大。
然后电
流采用
了Q15
表示 (
左对齐
), 2^
15 = 3
2768。
所以最
后计算
需要除
以1310
72。
#define
divSQR
T_3(int
32_t)0
x49E6 /
* 1/sqrt
(3) in q
1.15 for
mat=0.
577331
5*/
Q15,
也就是
0.5773
315*32
768 =
18918

```

再根据wX,wY,wZ来决定当前是在什么扇区

```

/* Sector calculation from wX, wY, wZ */
if (wY<0)
{
  if (wZ<0)
  {
    pVars->hSector = SECTOR_5;
    wTimePhA = (int32_t)(CLASS_PARAMS->hPWMperiod)/4 + ((wY - wZ)/(int32_t)262144);
    wTimePhB = wTimePhA + wZ/131072;
    wTimePhC = wTimePhA - wY/131072;
    pSetADCSamplingPoint = CLASS_METHODS.pPWMC_SetADCSampPointSect5;
  }
  else /* wZ >= 0 */
  if (wX<=0)
  {
    pVars->hSector = SECTOR_4;
    wTimePhA = (int32_t)(CLASS_PARAMS->hPWMperiod)/4 + ((wX - wZ)/(int32_t)262144);
    wTimePhB = wTimePhA + wZ/131072;
    wTimePhC = wTimePhB - wX/131072;
    pSetADCSamplingPoint = CLASS_METHODS.pPWMC_SetADCSampPointSect4;
  }
  else /* wX > 0 */
  {
    pVars->hSector = SECTOR_3;
    wTimePhA = (int32_t)(CLASS_PARAMS->hPWMperiod)/4 + ((wY - wX)/(int32_t)262144);
    wTimePhC = wTimePhA - wY/131072;
    wTimePhB = wTimePhC + wX/131072;
    pSetADCSamplingPoint = CLASS_METHODS.pPWMC_SetADCSampPointSect3;
  }
}
} ? end if wY<0 ?

```

```

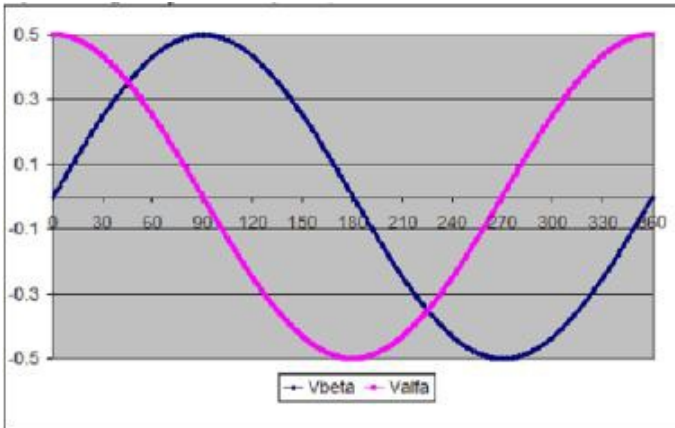
else /* wY > U */
{
  if (wZ>=0)
  {
    pVars->hSector = SECTOR_2;
    wTimePhA = (int32_t)(CLASS_PARAMS->hPWMperiod)/4 + ((wY - wZ)/(int32_t)262144);
    wTimePhB = wTimePhA + wZ/131072;
    wTimePhC = wTimePhA - wY/131072;
    pSetADCSamplingPoint = CLASS_METHODS.pPVMC_SetADCSampPointSect2;
  }
  else /* wZ < 0 */
  if (wX<=0)
  {
    pVars->hSector = SECTOR_6;
    wTimePhA = (int32_t)(CLASS_PARAMS->hPWMperiod)/4 + ((wY - wX)/(int32_t)262144);
    wTimePhC = wTimePhA - wY/131072;
    wTimePhB = wTimePhC + wX/131072;
    pSetADCSamplingPoint = CLASS_METHODS.pPVMC_SetADCSampPointSect6;
  }
  else /* wX > 0 */
  {
    pVars->hSector = SECTOR_1;
    wTimePhA = (int32_t)(CLASS_PARAMS->hPWMperiod)/4 + ((wX - wZ)/(int32_t)262144);
    wTimePhB = wTimePhA + wZ/131072;
    wTimePhC = wTimePhB - wX/131072;
    pSetADCSamplingPoint = CLASS_METHODS.pPVMC_SetADCSampPointSect1;
  }
}
} ? end else ?

```

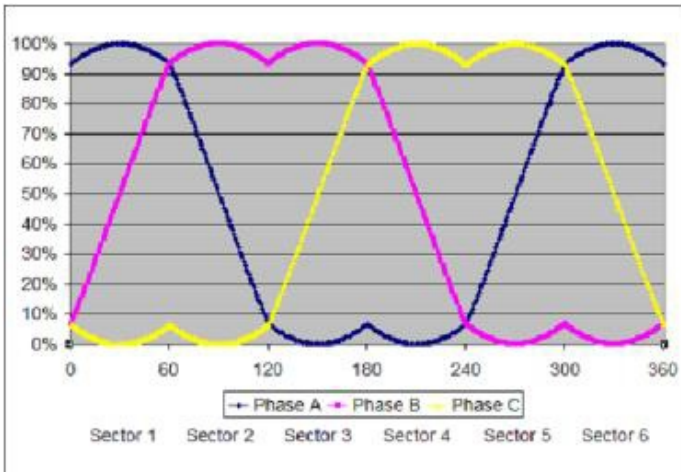
**参考文档：**

 SVPWM原理详解.ppt  
2016/06/16 10:47, 2.16MB

以及：STM32F103\_永磁同步电机\_PMSM\_FOC软件库\_用户手册\_中文版.pdf



V $\alpha$  和 V $\beta$  定子电压



SVPWM 相电压波形

阐明每同步六相空间矢量区域对应的PWM。

定义如下：

$$\begin{aligned}
 U_\alpha &= \sqrt{3} \times T \times V_\alpha, U_\beta = -T \times V_\beta \\
 X &= U_\beta, Y = \frac{U_\alpha + U_\beta}{2}, Z = \frac{U_\beta - U_\alpha}{2}
 \end{aligned}$$

空间矢量区域

Sector	Y < 0			Y ≥ 0		
	Z < 0	Z ≥ 0		Z < 0		Z ≥ 0
		X ≤ 0	X > 0	X ≤ 0	X > 0	
Sector	V	IV	III	VI	I	II

通过下式关系分别计算PWM应用于A、B、C三相的正相脉冲宽度持续的时间：

$$\text{Sector I, IV: } t_A = \frac{T+X-Z}{2}, t_B = t_A + Z, t_C = t_B - X$$

$$\text{Sector II, V: } t_A = \frac{T+Y-Z}{2}, t_B = t_A + Z, t_C = t_A - Y$$

$$\text{Sector III, VI: } t_A = \frac{T-X+Y}{2}, t_B = t_C + X, t_C = t_A - Y$$

现在考虑PWM波形是中心对称，因此相电压必须集中到周期的50%，根据PWM输出带负载的值，各自的参考电阻如下：

$$\text{Sector I, IV: TimePhA} = \frac{T}{4} + \frac{T/2 + X - Z}{2}, \text{TimePhB} = \text{TimePhA} + Z, \text{TimePhC} = \text{TimePhB} - X$$

$$\text{Sector II, V: TimePhA} = \frac{T}{4} + \frac{T/2 + Y - Z}{2}, \text{TimePhB} = \text{TimePhA} + Z, \text{TimePhC} = \text{TimePhA} - Y$$

$$\text{Sector III, VI: TimePhA} = \frac{T}{4} + \frac{T/2 + Y - X}{2}, \text{TimePhB} = \text{TimePhC} + X, \text{TimePhC} = \text{TimePhA} - Y$$

PWMC\_SetPhaseVoltage

\_\_\_\_ SVPWM变换得到

hCntPhA/B/C, 也就是三相的占空比

\_\_\_\_

pSetADCSamplingPoint

\_\_\_\_

R3HD2\_SetADCSampPointSect1~6 设置ADC采样位置，然后设置占空比